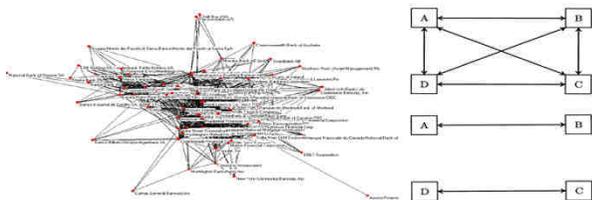


Cascades along the Business Cycle

Modelling complex networks: real banking network v.s. implied DSGE banking networks



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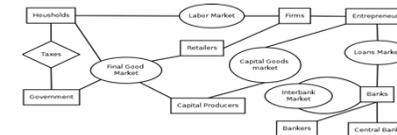
Complexity Lab in Economics

Macroeconomic Modelling and Model Comparison

Goethe University Frankfurt

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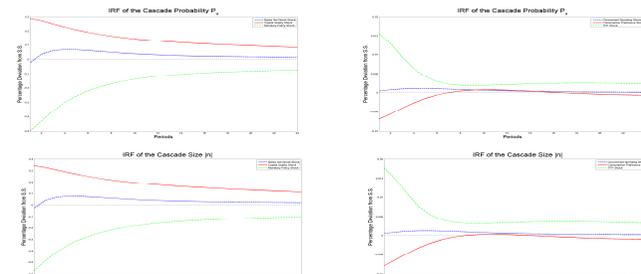
A state-of-the-art DSGE model with frictions (Gertler & Karadi 2011)



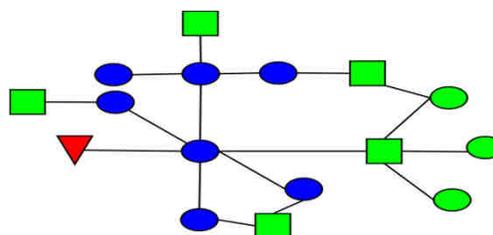
The interbank network is incorporated into a standard DSGE model with frictions on real and financial frictions. Network measures describe the aggregate state of the financial system in each period.

This paper models cascades (sequences) of contagion on financial markets. The default of one institution can create a «domino effect» involving its direct and indirect partners. The size and probability of such an event are endogenous and depend on how institutions are connected. To generate a cascade model, therefore, it is necessary to model the interbank banking network (left) and integrate it into a state-of-the-art DSGE model (right).

IRFs of probability and size of contagion after real and financial shocks

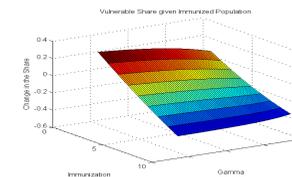
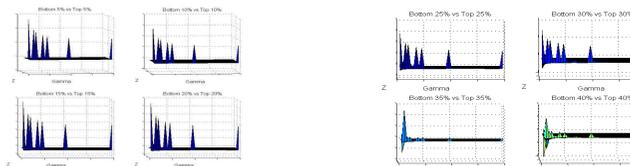


Intuition: a cascade in action



The red triangle is the initial seed (i.e. the institution starting the contagion), that moves exogenously from state 0 (no default) to state 1 (default). Circles are vulnerable nodes (i.e. nodes that move to state 1 if hit by a shock) and squares are resilient nodes (i.e. nodes that never move to state 1). Green nodes are in state 0 while blue nodes are in state 1. The cascade is composed by the initial seed and by all blue nodes.

Active policies: immunization (i.e. supply funds to banks in distress) and leaning against the network (i.e. let the target rate respond to financial conditions)



A moment generating function approach to the modelization of networks

$p_k = Ak^{-\gamma}$
degree distribution

$\Omega_k = P\left(k < \frac{1}{\varphi}\right)$
probability of being vulnerable

$\varphi = \int_0^1 f(\varphi) d\varphi = 1$

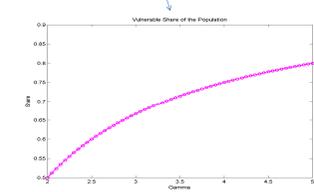
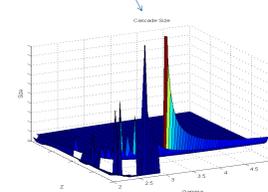
$G_0(x) = \sum_{k=0}^{\infty} \Omega_k p_k x^k$
degree distribution of vulnerable vertices

$z = \sum_{k=0}^{\infty} p_k x^k$
average degree

$P_v = G_0(1)$
cascade probability

$z_v = G'_0(1)$
average degree of vulnerable vertices

$\|n\| = P_v + \frac{(z_v)^2}{z - G''_0(1)}$
cascade size



Δp_v	Int. Rate	TEP	Inflation	Gov. Spending	Preference	Cap. Quality	Banks' Net Worth
0.05	2.34	-0.07	0.15	0.00	0.04	-1.33	-0.11
0.10	2.91	-0.08	0.18	-0.01	0.04	-1.68	-0.20
0.15	3.18	-0.08	0.20	-0.01	0.04	-1.87	-0.29
0.20	3.34	-0.08	0.21	-0.01	0.04	-2.02	-0.41
0.25	3.45	-0.07	0.22	-0.01	0.03	-2.17	-0.55

γ	π						
0.05	0.11	0.06	0.61	1.08	0.11	0.06	1.02
0.10	0.05	0.18	0.64	1.02	0.05	0.18	1.04
0.15	0.04	0.36	0.70	1.01	0.04	0.36	1.07
0.20	0.04	0.60	1.04	1.18	0.04	0.60	1.12
0.25	0.06	1.00	1.51	1.76	0.06	1.00	1.18